| Question Number | Scheme | Mark | s |
|--------------------|---|-------------------|--------------|
| 1. (a) | $ \begin{array}{cccccccccccccccccccccccccccccccccccc$ | B1 B1 | (2) |
| (b) | For example: (i) $P-2=L-4$ c.s. $P=2-L-4$ (ii) $S-2=L-1a=A-3$ c.s. $S=2-L=1a-A=3$ giving $A-1$, $G-1$, $L-4$, $N-5$, $P-2$ A-3, $G-1$, $L-1$, $N-5$, $S-2$ | M1 A1 | (3) |
| (c) | Sam must do 2 and Nicola must do 5, leaving Philip without a task. | B2, 1, 0 (7 ma | (2) arks) |

| Question Number | Scheme | Marks | |
|--------------------|--|-------------------|-----|
| 2. (a) | $ \begin{array}{c ccccccccccccccccccccccccccccccccccc$ | M1 A1 A1 ft | |
| | Time = 37 minutes | | (4) |
| (b) | Either $S - A - D - G - T$ or $S - B - E - G - T$ | A1 ft | |
| | Not unique, e.g. gives other path | A1 ft | (2) |
| (c) | S-C-E-G-T 39 minutes | M1 A1 | (2) |
| | | (8 mar | ks) |

| Question Number | | Scheme | Mar | Marks | |
|--------------------|--------------|---|-------|-------|--|
| 3. | (a) | Idea of travelling along each <i>arc</i> at least once and seeking to do so in a minimum total. <i>Practical</i> meaning of arcs/numbers. | B1 | (1) | |
| | (<i>b</i>) | AB + DF = 32 + 9 = 41 | M1 A1 | | |
| | | AD + BF = 25 + 15 = 41 | | | |
| | | AF + BD = 18 + 24 = 42 | A1 | | |
| | | Repeat either $AE + EB$ and DF or AD and BF | A1 ft | (4) | |
| | (c) | Not unique, e.g. gives other solution | A1 ft | | |
| | (<i>d</i>) | 258 + 41 = 299 | B1 | (2) | |
| | (e) | DF is the shortest so start/finish at A/B | M1 A1 | (2) | |
| | | | (9 m | arks) | |

| _ | stion nber | | | | Sc | heme | | | | | Ma | rks |
|----|---------------|---|---------------------------------|---|---|---|-----------|---------------|---|--|----------------|--------|
| 4. | (a) | The list is not | in <i>alpi</i> | habetica | <i>l</i> order | | | | | | B1 | (1) |
| | (<i>b</i>) | Use of Bubble | e Sort o | or Quick | Sort | | | | | | M1 | |
| | | For example: | | | | | | | | | | |
| | | B G N M Y L B G N M Y B C G N M B C E G N B C E G L B C E G L B C E G L | L C Y L M Y N M M N | E S P E P S E P S L P S Y P S P Y S P S | 1st pas 2nd pas 3rd pas 4th pas 5th pas | G A B G B G B G B G B G B G B G B G B G | | | k sort C E S M Y S M S P M P S N P S | P 1st pass P 2nd pass Y 3rd pass Y 4th pass Y 5th pass | A1 A1 A1 | (4) |
| | (a) | 1 2 | 2 | 4 | 5 | | | | | e changes | | |
| | (c) | $\begin{bmatrix} 1 & 2 \\ B & C \end{bmatrix}$ | 3 <i>E</i> | 4 <i>G</i> | 5 <i>L</i> | 6 <i>M</i> | 7 N | 8 <i>P</i> | 9 S | 10 <i>Y</i> | | |
| | | $\boxed{\frac{[10+1]}{2}=6}$ | | hester | | | half of l | | | 1 | M1 A1 | |
| | | $\frac{[7+10]}{2} = 9$ | South | nampton | discar | d last l | nalf of l | ist and | pivot | | | |
| | | $\frac{[7+8]}{2} = 8$ | Plym | outh | discar | d last l | nalf of l | ist and | pivot | | A1 | |
| | | Final term 7 | Newc | eastle, th | erefore | word | found at | 7 | | | A1 | (4) |
| | | | | | | | | | | | (9 | marks) |

| Question Number | Scheme | Mark | s |
|--------------------|--|--------|-------|
| 5. (a) | x = 9, y = 16 | B1 B1 | (2) |
| (b) | Initial flow = 53 – either finds a flow-augmenting route or demonstrates not enough saturated arcs for a minimum cut | B1 B1 | (2) |
| (c) | $ \begin{array}{cccccccccccccccccccccccccccccccccccc$ | M1 A1 | (2) |
| | e.g. <i>IDA</i> – 9 | A1 | |
| | <i>IFDA</i> – 24 | A1 | |
| | max flow – 64 | B1 | (3) |
| (d) | $ \begin{array}{c ccccccccccccccccccccccccccccccccccc$ | M1 A1 | (2) |
| (e) | Max flow – min cut | M1 | |
| | Finds a cut GC, AF, DF, DJ, EI, EH value 64 | A1 | (2) |
| | Note: must not use supersource or supersink arcs. | | |
| | | (13 ma | arks) |

| Question Number | Scheme | Marks |
|--------------------|---|--|
| 6. (a) | Maximise $P = 30x + 40y$ (or $P = 0.3x + 0.4y$) | B1 |
| | subject to $x + y \ge 200$ | B1 |
| | $x + y \le 500$ | B1 |
| | $x \ge \frac{20}{100}(x+y) \implies 4x \ge y$ | M1 A1 |
| | $x \le \frac{40}{100}(x+y) \implies 3x \ge 2y$ | A1 (6) |
| (b) | | |
| | y = 4x | |
| | 500 $2y = 3x$ | D1.0 |
| | 400 | B1 ft (x + y = 200, x + y = 500) B1 ft |
| | 300 Feasible | (y = 4x)B1 ft |
| | 200 region | (2y = 3x) B1 ft (shading) |
| | Profit line $x + y = 500$ | B1 (labels) |
| | x + y = 200 100 200 300 400 500 | |
| | (NB: Graph looks OK onscreen at 75% magnification but may print out | |
| | misaligned) | |

| Question Number | Scheme | Marks |
|--------------------|--|------------|
| 6. (c) | Point testing or profit line | A1 |
| (cont.) | Intersection of $y = 4x$ and $x + y = 500$ | A1 |
| | (100, 400) Profit = £190 (units must be clear) | A1 (3) |
| | | (11 marks) |

| Question Number | Scheme | Marks |
|--------------------|--|--------------------------|
| 7. (a) | E.g. It shows dependence but is not an activity; G depends on A and C only but H and I depend on A , C and D . | B1 (1) |
| (b) | $ \begin{array}{c ccccccccccccccccccccccccccccccccccc$ | M1 A1 |
| (c) | $B \xrightarrow{C-I} J-L \text{so } B, C, E, F, I, J, L$ | A1 (5) |
| (d) | A: $11 - 0 - 9 = 2$ D: $11 - 3 - 7 = 1$ G: $18 - 11 - 5 = 2 *$ H: $17 - 11 - 5 = 1$ K: $25 - 16 - 7 = 2 *$ | M1 A1 (non *) A1 (*) (3) |
| (e) | $\begin{array}{c ccccccccccccccccccccccccccccccccccc$ | M1 A1 A1 A1 (4) |
| (f) | Gantt chart at time 8 C , F , A and D , must be happening \therefore 4 workers needed | M1 A1 (2) (15 marks) |